## Innovation Corporation


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There are two components, a voting model and a profit distribution model.
The company owns itself; shares are only allotted to positions within the company and are only for voting rights.

Equity capital could be raised in subsidiary entities so long as all employees are part of the parent I corporation.

The purpose of the I corporation model is to have a company where those who are putting in the work and expertise are the ones deciding their future. Wealth is ethically, incentively distributed within the company; the hope is to attract the smartest minds, and their innovation will lead the way.

Goal: Those within the company are the ones making decisions and electing their leadership.
-Shares are not owned; they are assigned to employee positions within the company. They are exclusively for voting rights and not profit distribution.
-Voting is done confidentially, preferably on block chain. Shareholders are obligated to vote, and a yearly vote is taken on whether to hold an election.
-The chairman must appoint the first 4 other members of the board of directors. After that the directors (ring 0), including the chairman, are elected by shareholders in a ranked choice vote.
-Key positions (rings 1-4) are appointed by the board of directors. Corporate officers are prioritized if they are not also on the board of directors.
$-50 / 50$ ties are broken by the chairman.
-Each ring has 480 shares. With the exception of Ring 0, they are split evenly among the slots.
-Each ring acts as an expansion to the companies number of key positions in relation to total employees. Ring expansion can occur sooner, but not later than as is defined in the table.
-New rings must be filled within 1 year, vacated slots within current rings must be filled within 1 month. All key positions must be filled for a vote, and all board of director nominations must be existing shareholders.
$\qquad$


#### Abstract




Class I Shares

Goal: Share profits while incentivizing key leadership positions and innovation.
-The voting model results in a disparity of $26 x$ between the chairman and the outermost ring; this also serves as the pay ratio limit in the profit distribution model (This is similar to the U.S. in the 60s and 70s). Some exclusions might apply for internships or temporary employees, but this is not to be abused for the sake of profit.
-The chairman's total compensation plus profit distribution cannot exceed 26x the lowest paid employee's compensation/profit.
-Steps 0-4 align with rings 0-4 (if they exist).
-Each step up provides a greater incentive (portion of the profit) to advance within the company. While steps $0-4$ correspond to the rings, the other steps are left to boards discretion to incentivize certain job positions.
-All employees are slotted into a step. Their base salary is industry competitive for whatever job position they are filling. The profit distribution is treated strictly as a bonus.
-If an employee occupies a slot for a portion of the year, they get that portion of the profit distribution.
-If the company is ever dissolved, the assets are converted to cash and distributed as profit.

number of steps $=$ the amount needed to slot all employees
-Solving the model is described on the next page followed by the prototype code.


Steps are created until they hold all employees up to a max of

## Version 1 Code <br> (prototype)

public static void calchent, double highestCompensation, int steps, in otalEmployees)\{

## it ] employeesPerStep $=\{0,0,0,0,0,0,0,0,0,0,0\}$

int stepsum $=0$;
stepSumDiff $=0$
double baseMultiplier $=1$;
double currentMultiplier $=1 ;$
double $\square$ profitMultiplier $=\{0,0,0,0,0,0,0,0,0,0,0\}$;
double profitDivisor $=0$;
double $[$ profitPerEmployee $=\{0,0,0,0,0,0,0,0,0,0,0\}$
double profitRatio $=0$;
double payRatio $=0$;
Scale profitRatioTarget to number of steps using $(1,1)$ and $(11,26)$
ouble profitRatioTarget $=((5.0 / 2.0) *($ steps +1$)-(3.0 / 2.0))$;
or (int count $=0$; count $<=$ steximum
employeesPerStep[count] = (int)(5*Math.pow(2,count));
IFind the total capacity of the steps
for(int count $=0$; count $<=$ steps; count ++ ) \{
stepSum += employeesPerstep[count];
//Find the difference from total capacity and number of employees, correct last step stepSumDiff = total Employees - stepSum,
mployeesperstep[steps] $+=$ stepSumDiff
or(int count=0; count $<=$ steps; ; count++) $\{$
System.out.print("lnStep " + count + " employees: " + employeesPerStep[count])

## System.out.print("ln")

//Profit Multiplier
or(;profitRatio < profitRatioTarget; baseMultiplier += .005)
//Calculate Profit Multipliers (Must reset currentMultiplier because of *=)
currentMultiplier =1
for(int count = steps; count >= 0 ; count--) $\{$ profitMultiplier[count] = currentMultiplier
currentMultiplier *= baseMultiplier
//Calculate profitFactor (Must reset profitDivisor because of $+=$ ) profitDivisor $=0$;
for(int count $=0$; count $<=$ steps; count ++ )
profitDivisor += (employeesPerStep[count] * profitMultiplier[count]);
profitFactor $=$ totalProfit $/$ profitDivisor
/Profit Per Employee Per Step
steps; count++) \{
profitPerEmployee[count] = (profitMultiplier[count]*profitFactor);
profitRatio $=($ profitPerEmployee[0]/profitPerEmployee[steps]);
\}

## Subtract . 005 to correct for fina loop action

aseMultiplier - = . 01
Calculate Profit Multipliers (Must reset currentMultiplier because of ${ }^{*}$ )
currentMultiplier =1;
or(int count = steps; count >= 0 ; count--)
profitMultiplier[count] = currentMultiplier;
currentMultiplier * $=$ baseMultiplier;
Calculate profitFactor (Must reset profitDivisor because of $+=$ )
Calculate profitF
for(int count $=0$; count <= steps; count++) \{
profitDivisor += (employeesPerStep[count] * profitMultiplier[count]);
profitFactor $=$ totalProfit $/$ profitDivisor;
Profit Per Employee Per Step
for(int count $=0$; count $<=$ steps; count++) $\{$
profitPerEmployee[count] = (profitMultiplier[count] ${ }^{*}$ profitFactor);
profitRatio $=$ (profitPerEmployee[0]/profitPerEmployee[steps]);
//Total Pay Ratio
payRatio $=(($ profitPerEmployee[0] + highestCompensation)/(profitPerEmployee[steps] + lowestCompensation) $)$
forsint
$=0$; count <= steps; count++)
System.out.printf("InStep \%-2d Employee Profit: \$\%,.2f", count, profitPerEmployee[count]);
System.out.printf("InlnProfit Ratio: \%.2f" , profitRatio);
System.out.printt("InnPay Ratio: \%.2" ${ }^{\text {" }}$, payRatio);
f(payRatio > 26) $\{$ System.out.print(" - !PAY RATIO EXCEEDED!"):
System.out.print("InInCalculation Complete");

First the program calculates how many employees are going to be in each step.
The program assigns the lowest step a profit multiplier of one, and each successive step's profit multiplier is the previous multiplier times the base multiplier.
Then we multiply the number of employees in each step with their profit multiplier, and total up the results as the profit divisor. The profit factor is the total profit divided by the profit divisor, and we multiply the profit factor by the profit multiplier of a step to determine how much profit each employee in that step gets.
We compare the individual profit of the highest step and lowest step to determine the profit ratio, and keep incrementing the base multiplier
by .005 until the profit ratio approaches a scaled ratio of 26x.
Then, when we add the profit distribution to the highest paid and lowest paid employee's total compensation, we find the actual pay disparity which should scale fairly only approaching a $26 x$ pay ratio in a large, profitable company.

Everything is based on the initial, subjective premise that it is fair for the Chairman/Founder to have $50 \%$ of the votes if there is one board member that sides with them. The next ring dilutes this power, giving the board of directors $50 \%$ of the total votes instead and so on.


The second assertion is that the total number of decision makers should not exceed Dunbar's Number. That number is the suggested cognitive limit of how many individual relationships a person can maintain. Each ring simply doubles the number of people, so:

$$
\begin{aligned}
& \text { Ring } 0=5 \\
& \text { Ring } 1=10 \\
& \text { Ring } 2=20 \\
& \text { Ring } 3=40 \\
& \text { Ring } 4=80
\end{aligned}
$$

Add those up and you get 155, any further expansion would exceed Dunbar's Number.

So now we know there will be 5 rings, and the outermost ring will have 80 people.


We figure out the number of shares by multiplying the factors 80 (outer ring) and 6 (inner ring).

So, 480 shares per ring.

The final question is when ring expansion should occur. At its maximum, this model would have 80 people at the outer ring. If these are the top tier of management, we'll use Dunbar's Number once again to say that each position can have 154 people below them. This gives us the fraction 155/80. We can use this to scale expansion proportionally.
$\mathrm{R}=$ Number of people in current outer ring. $R^{\wedge} 2^{*}(155 / 80)=$ Number of employees in addition to those within the rings.
Total Employees
Ring 0: 0-48
Ring 1: $49-199$
Ring 2: $200-790$
Ring 3: $791-3,135$
Ring 4: 3,136-12,475

I believe with Dunbar's number, and two degrees of separation from the chairman, you can have a maximum of 12,475 people in a company that can still value community.

All companies wishing to claim status as an I-Corp must follow the guidelines provided in this document.

A $2 / 3$ supermajority of shareholders can vote to adopt an updated I Corporation version, but there must be a majority vote of all employees to fundamentally restructure.

